An Islanding Detection Method by Using Frequency Positive Feedback Based on FLL for Single-Phase Microgrid

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Abstract—An active islanding detection method based on Frequency-Locked Loop (FLL) for constant power controlled inverter in single-phase microgrid is proposed. This method generates a phase shift comparing the instantaneous frequency obtained from FLL unit with the nominal frequency to modify the reference phase angle. An initial low frequency variable triangular disturbance is added to the phase shift in order to reduce NDZ and accelerate the detection process especially in the case of power matching. With the modified phase angle, the frequency at PCC will be drifted away from the nominal frequency until exceeding the threshold because of the frequency positive feedback after islanding. Besides, FLL is introduced to this method in order to lock frequency quickly considering that the frequency is time-varying during the islanding detection process. Simulation and experiment have been done to evaluate this method.

Index Terms—Islanding detection, frequency positive feedback, Frequency-Locked Loop (FLL), Single-phase microgrids, constant power control.

I. INTRODUCTION

MICROGRID is a combination of various kinds of distributed generations (DGs), energy storage and controllable local loads [1]. With microgrid, the negative impact to utility grid caused by DGs, e.g. power intermittent can be eliminated. Meanwhile, it can provide reliable and high quality power to local loads. In order to achieve efficient and safe performance of these small but intelligent systems, microgrids can flexibly operate both in island and grid-connected mode. But for each operation mode, the local management objectives and control methodologies are different. In island mode, the control objectives aim to guarantee reliable and high quality power supply, coordination control, energy management and so on. In grid-connected mode, the exchange power control and management between utility grid and microgrid will be concerned.

On the other hand, similar to grid-connected inverters used for DGs, safety hazard and damages will lead to personal and equipment if it’s still connected to utility grid when islanding procedure occurs, particularly an unintentional one. But different from DGs which just stop working and disconnecting from grid within a short time interval (according to some standards such as IEEE std. 1547), microgrids should seamlessly transfer to island mode in order to provide voltage to local consumers. Hence, robust, fast and accurate islanding detection is critical for operation mode selection and microgrid security [2, 3].

With regards to islanding detection for grid-connected inverters, several methods were studied in literatures [2, 4-19]. Normally, islanding detection methods can be classified as communication based methods, passive methods and active methods.

Although communication based method doesn’t have non-detection zone (NDZ) in theory, it relies on communication too much. Additionally, the total investment is high enough and the implementation is usually complex and difficult [2, 4].

The other two categories are both local methods. Passive methods detect islanding by monitoring local electrical parameters only, e.g. voltage, frequency, phase and harmonics at the point of common coupling (PCC). Usually, these parameters will be abnormal or change in some degree after island occurs, which will trip the detector. OUV/OUF, Voltage Harmonics, Phase Jump, ROCOF/ROCOV/ROCOP etc. [5-10] are the most commonly used trip detectors. Passive method is easy to implement and effective in most situations. It doesn’t affect power quality in grid-connected mode. However, it has a large NDZ especially when the generated power matches local consumption.

In order to reduce NDZ, active methods detect islanding by injecting disturbance such as frequency, voltage, power and harmonic intentionally [11]. Active frequency drift (AFD) method introduces slight zero chopper to output current which drifts the frequency increase/decrease after islanding. But for multiple converters and high Q load, this method would be ineffective [12]. Active frequency drift positive feedback (AFDPF) methods utilize a self positive feedback to increase zero fraction and accelerate frequency deviation. It solved the problem existed for multiple converters and reduced NDZ greatly [13]. Sandia frequency shift (SFS) is similar to AFDPF which also employs positive frequency feedback [15]. For frequency based methods, power quality will be decreased in grid-connected mode due to the existing of zero intervals. Slide mode frequency shift (SMS) methods solved this issue.
by applying phase shift instead of frequency shift to remove zero intervals. However, SMS is only stimulated by an uncontrollable, externally supplied perturbation caused by noise, measurement and quantization errors in practice when the power matches well [5, 15]. Hence, the detection would cost longer time. By an initial permanent phase disturbance angle, auto phase shift (APS) method accelerates the process [16]. But it’s difficult and complicated to design parameters for APS. Besides, for constant power controlled converter, the initial constant disturbance phase will be weaken or even counteracted due to power regulation [14]. Some modified SMS methods shown in [16] have the same effect as APS. For frequency and phase shift active methods, Phase-Locked Loop (PLL) is the base to generate frequency and reference phase. In [18, 19], some active methods were proposed by modifying the PLL structure. Some other active methods were introduced in [11], [20] by voltage positive feedback, power distortion and harmonic injection respectively. These active methods decrease NDZ and detection time obviously for most grid-connected inverters with constant current control. In this paper, an active islanding detection method for constant power controlled microgrid with PLL is proposed. This method applies frequency positive feedback by comparing the instantaneous frequency with nominal line frequency. Meanwhile, FLL is introduced in order to lock PCC frequency quickly considering that the frequency is time-varying during the islanding detection process. An initial low frequency triangular phase disturbance is employed. Contrast with those active methods mentioned above, it performances well both in detection time and power quality for constant power control algorithm in microgrid.

This paper is organized as follows: the basic control structure is introduced and the PCC voltage response after islanding is analyzed in Section II. In Section III, the islanding detection method based on FLL is presented. The theory analysis and the design of parameters are covered in this section as well. In Section IV, validation of the proposed method is assessed through simulation and experiment results. Finally, the conclusion is presented in Section V.

II. CONTROL STRATEGY DESIGN AND ANALYSIS ON PCC VOLTAGE RESPONSE AFTER ISLANDING

A. Control Design for Inverter in Microgrid

Fig. 1 shows the power stage and control algorithm of the inverter used in single-phase microgrid. With different work mode for microgrid, the strategy and objective are different.

1). Control Design for Island Mode

Reliable power supply to local loads with pure sinusoidal voltage is the basic goal for island mode. For single phase inverters, the capacitor voltage and inductance current are used as feedback signals and send to double closed-loop control as shown in Fig. 1. Proportional-resonant (PR) controller is employed due to its performance for tracking fundamental as well as harmonic components caused by non-linear loads [22] (in this paper, only linear parallel RLC load is considered for islanding detection). Voltage and current PR controller are as follows respectively,

\[
G_v(s) = k_{pv} + \sum_{k=1,3,5,7} \frac{k_{Rvk} \cdot s}{s^2 + \omega_c s + (k \cdot \omega_o)^2}
\]

\[
G_I(s) = k_{pi} + \sum_{k=1,3,5,7} \frac{k_{Rik} \cdot s}{s^2 + \omega_c s + (k \cdot \omega_o)^2}
\]

where \(k_{pv}, k_{pi}\) are the proportional coefficients; \(k_{Rvk}, k_{Rik}\) are the fundamental resonant coefficients \((k=1)\) and 4th harmonic resonant coefficients; \(\omega_c\) and \(\omega_o\) represent the cut-off frequency and resonance angular frequency, respectively.

In island mode, the reference voltage and frequency (or phase) are given as \(v_{\text{Island}}\) and \(\theta_{\text{Island}}\) in Fig. 1 respectively.
2) Control Design for Synchronous Mode

Synchronous mode is defined as the transition between island and grid-connected mode of operation. In this mode, the reference voltage and phase are set to be voltage and phase at PCC from PLL unit [22]. Hence, the synchronization process between the output voltage and grid voltage smooth the transition from island to grid-connected mode.

3) Control Design for Grid Connected Mode

Generally, microgrid is considered as a PQ node in grid-connected mode to control the exchange active/reactive power (P/Q) with the main utility. In the rotating reference frame, as the $v_q$ equals to zero when it is synchronized with the grid voltage, the active and reactive reference current can be calculated from (3) and (4), respectively [24],

$$i_d = \frac{2P_{ref}}{v_d} \quad (3)$$
$$i_q = \frac{2Q_{ref}}{v_d} \quad (4)$$

where $P_{ref}$, $Q_{ref}$ indicate power reference exchange between the microgrid and the main utility; $v_d$, $v_q$, $i_d$, $i_q$ represent the d-axis and q-axis components for current and voltage, respectively.

According to different active and reactive power reference, current can be generated through dq/αβ transformation based on the phase angle from PLL shown in Fig. 1. What should be noted here is the phase angle of voltage and frequency does not be affected. Here to regulate the frequency and magnitude of PCC voltage is serious affected by power state and the characteristics of local load after islanding.

Thus, the frequency and magnitude of PCC voltage is seriously affected by power state and the characteristics of local load after islanding. But the basic principle is that the voltage magnitude and frequency at PCC will change until the output power matches the local consumption after islanding. From (5), if the output active power doesn’t match the requirement, PCC voltage will certainly increase or decrease until $P_{MG}=P_L$. Similarly, the frequency has to change and stabilize at a frequency where the output reactive power equals to the demand. But different from that the magnitude is just dominated by the active power mismatch, the frequency will flux both for the active and reactive power mismatch, if we combine (5) and (6).

The other factor affecting frequency at PCC is the characteristics of local load. The quality factor for RLC load is defined as below,

$$Q_f = R \sqrt{\frac{C}{L}} = 2\pi f_0RC = \frac{R}{2\pi f_0L} \quad (7)$$

where $f_0 = 1/2\pi\sqrt{LC}$ is the natural resonant frequency of the parallel RLC. Thus, eq. (6) can be modified as follows,

$$Q_L = V^2_{\text{PCC}} \left[ \frac{Q_f}{R} \left( \frac{f_0}{f_g} \right) \right] = P_L Q_f \left( \frac{f_0}{f_g} - \frac{f_k}{f_0} \right) \quad (8)$$

The active and reactive mismatch power after islanding can be expressed as follows,

$$\Delta P = P'_L - P_L = P_{MG} - P_L \quad (9)$$
$$\Delta Q = Q'_L - Q_L = Q_{MG} - Q_L \quad (10)$$

where $\Delta P$, $\Delta Q$, $P'_L$, $Q'_L$ represent the active/reactive mismatch power and the consumed active/reactive power after islanding, respectively. For constant power control method, $P'_L = P_{MG}$ and $Q'_L = Q_{MG}$ are the objective after islanding.

Assumed that the reactive power matches well while the active power does not, the following equation can be obtained from (8) and (9):

$$\Delta P = \left( \frac{f - f_g}{f_g^2 + f f_0} \right) \frac{f}{f_g} \frac{f_0}{f_g} \quad (11)$$

where $f$ indicates the stable frequency after islanding.

It indicates that the influence on frequency from the active power mismatch is not only determined by the sign of the active mismatch power and the output active power, but also determined by the relationship between the load resonance frequency and utility frequency at PCC.

Similarly, assumed that the active power matches well while the reactive power does not, the following equation can be obtained from (8) and (10):

$$\Delta Q = \left( \frac{f_0 - f}{f_g^2 + f f_0} \right) \frac{f_0}{f_g} \frac{f}{f_g} \quad (12)$$

Exception for the sign of the reactive power mismatch and the output reactive power, there is also a relationship between the resonance frequency and the steady frequency after islanding. From (11) and (12), the voltage and frequency response can be concluded in Table 1. For a parallel RLC load, the transfer function from current to voltage (scilicet the form of RLC in s domain) is defined in (13) as follows,

$$\frac{U(s)}{I(s)} = \frac{RL \cdot s}{RL \cdot s^2 + L \cdot s + R} \quad (13)$$

The corresponding phase-frequency curve for three different $Q_f$ is shown in Fig. 2. In grid-connected mode, the stable frequency equals to the frequency of utility voltage ($f_0$) for any $Q_f$ and output power factor angle $\theta_{PF}$. The operation points are marked with $a$, $c$ and $e$ on each curve. While microgrid with constant $\theta_{PF}$ (constant power controlled) transfers to island
mode, the frequency will deviate until the equation below is satisfied,

\[ \theta_{i}(f) = \theta_{PF} \]

where \( \theta_{PF} \) and \( \theta_{i}(f) \) are the power factor angle and load impedance angle at stable frequency after islanding. Only for unity power factor, the frequency will stabilize at the natural resonant frequency \( f_{0} \) of the load.

As shown in Fig. 2, the frequency will be drifted up after islanding to the stable operation points where the intersection of the load Phase-frequency curve and output power factor angle marked as \( b \) and \( e \) on curves for three different power qualities respectively. The figure shows, in the case of power mismatch, the stable frequency for \( Q_{i}=1 \) will exceed the upper frequency threshold \( f_{max} \) while for \( Q_{i}=1.5 \) will not. In the case of active/reactive power match for \( Q_{i}=2.5 \), the stable frequency doesn’t change at all. It can be concluded that the higher power quality for a certain power mismatch, the little frequency deviation will be. On the other hand, the frequency will not change if the power matches well. As a result, high load power quality and power match are the worst case for islanding detection. According to IEEE Standard 929 [25], \( Q_{i}<2.5 \) can represent the power quality of general loads in reality. As a result, parallel RLC load with \( Q_{i}=2.5 \) is used for islanding detection in this paper.

### III. IDM Based on FLL Using Frequency Positive Feedback

In order to drive the frequency of PCC voltage exceeding the permissible range, frequency based islanding detection method has to change the frequency of output current actively.

#### A. IDM Based on Frequency Positive Feedback

Without considering the little steady error of control method, the output current can be assumed to reference current defined below,

\[ I_{ref} = I * \sin(2\pi f_{0} \times t + (\varphi_{i} + \theta_{VIDM})) \]

\[ = I * \sin(2\pi f_{0} \times t + (\theta_{IDM} - \theta_{PF})) \]

(15)

where \( I \) is the magnitude of reference current; \( f_{0}, \varphi_{i}, \theta_{PF} \) are the locked frequency of PCC voltage, phase angle of reference current and power factor angle, respectively; \( \theta_{IDM} \) is the phase shift generated from IDM unit.

The phase shift is generated based on frequency positive feedback as follows,

\[ \theta_{IDM} = m * (f - f_{0}) \]

(16)

where \( f_{0} \) and \( f \) are the nominal line frequency and the measured instantaneous frequency at PCC; \( m \) is the acceleration coefficient for frequency positive feedback.

From (16), the shift phase will be positive once the PCC frequency is greater than nominal line frequency. Then, the positive phase shift will drift the reference frequency higher if the sum of \( \theta_{IDM} \) and \( \varphi_{i} \) is positive as shown in Fig.2. And the greater PCC frequency will lead a larger positive phase shift further until PCC frequency exceeding the upper limitation. Similarly, the reference frequency will be lower and lower once PCC frequency is smaller than nominal line frequency. This is the mechanism of frequency positive feedback.

As it is shown in Fig.2, in order to drift the frequency out of the allowable range, there must be no stable operation point within the range at least or no stable operation point at all. Therefore, the change of reference phase versus frequency deviation must be faster than the change of load impedance angle. Hence, the following relationship should be satisfied,

\[ \frac{d \theta_{IDM}}{df} \bigg|_{f=f_{0}} > \left( \frac{d \theta_{PF}}{df} \bigg|_{f=f_{0}} \right)_{\text{max}} \]

(17)

The solution can be derived from (13), (16) and (17),

\[ m > \left( \frac{Q_{f} \left( \frac{f_{0}}{f_{0}^{2} + 1} \right) + \frac{1}{f_{0}}}{1 + Q_{f}^{2} \left( \frac{f_{0}}{f_{0}^{2}} \right)} \cdot \frac{180}{\pi} \right)_{\text{max}} \]

(18)

It can be obtained from the curve in Fig.2 that the value will be maximum when the resonance frequency equals to the utility frequency \( (f_{0}=f_{0}) \).

But if the power matches exactly, PCC frequency equals to nominal line frequency. In this case, the phase shift equals to zero and can be only stimulated by the measurement and sample errors in practice [5, 16]. The islanding detection may be lengthen or even fail. In [16], an additional initial phase shift in Eq. (19) is used to solve this issue.
where $\delta_0(t)$ is the initial phase perturbation and $\text{sign}(f - f_n)$ is the sign of error between measured and nominal frequency.

However, constant initial phase shift could be counterweighed by the power factor angle for constant power control strategy in microgrid [21]. So the initial phase shift applied in this paper is defined as a low frequency triangular signal below.

\[
\delta_0(t) = \begin{cases} 
\frac{2\delta_0}{T} t, & \frac{N}{2} T \leq t < \frac{(N + 1)}{2} T \\
\frac{2\delta_0}{T} t - \frac{N + 1}{2} \frac{2}{T}, & \frac{(N + 2)}{2} T \leq t < \frac{(N + 2)}{2} T 
\end{cases}
\]

where $T$ is the period of triangular signal; $\delta_0$ is a small constant perturbation.

With the proposed method, the control unit with slash shade in Fig. 1 can be expressed in detail as Fig. 3.

**B. IDM Effect Analysis Using PLL and FLL**

From (15), another element affecting current reference phase angle is the frequency locked from PCC voltage. Usually, PLL based on second order general integrator (SOGI) is used in single phase system to generate the phase angle for reference current [27]. But just as the frequency based IDM discussed above, PCC frequency is variable with the output current frequency variation after islanding, especially active IDM is used. With the SOGI module shown in Fig. 3, the transfer function is defined as,

\[
H_a(s) = \frac{v_a(s)}{v_{pcc}(s)} = \frac{k_1 \omega s}{s^2 + k_2 \omega s + \omega^2}
\]

where $\omega$ is the resonance frequency of SOGI.

Generally, the resonance frequency is fixed to nominal line frequency. The corresponding frequency response curve is shown in Fig.4.

It can be obtained that the SOGI unit will lead to phase error if the input frequency doesn’t equal to the resonance frequency. In detail, the phase error is positive if the input frequency is lower than resonance frequency while the error is negative if the frequency is higher than resonance frequency. As a result, during the active detection process after islanding, the SOGI unit will certainly be inaccurate because of the variation of PCC frequency. Fig. 5 shows the reference phase and the corresponding reference current considering the generated phase shift and the phase error caused by PLL.

According to the IDM based on frequency positive feedback proposed above, the phase shift $\theta_{IDM}$ is negative if PCC frequency is lower than nominal line frequency at $t=t_1$ labeled in Fig.5. However, the phase error $\theta_{err}$ caused by the SOGI unit is positive at the same period. Thus, this phase error will counteract the phase shift and weaken the positive effect of the frequency feedback. Thereby, the real period is $T_2$ if both the phase shift and phase error are considered rather than the period $T_1$ when only phase shift is considered. Therefore, the change of frequency will be slower and the detection time will be longer. The same conclusion can be obtained in the case that PCC frequency is higher than nominal line frequency.

In order to solve this problem, Frequency-Locked Loop (FLL) is introduced to SOGI unit to modify the constant resonance frequency in this paper as Fig.3 [28]. Here, the dynamic frequency deviation from FLL is added to nominal angular frequency to improve the stability. The corresponding phase-frequency curve is also shown in Fig. 4. As the resonance frequency is dynamic changed, there is no phase error no matter the input frequency changes or not.

Except for the phase error, another element affecting the active IDM is PCC frequency $f_g$ according to (15). Based on FLL presented in Fig.3, the reference frequency is also modified. This process contributes to the frequency lock speed in contrast with conventional PLL. The ramp response for conventional PLL and modified unit with FLL are both drawn in Fig.6. It shows that the ramp response for FLL unit is more rapid than that of conventional PLL. This rapid response can improve the effect of frequency positive feedback.

**C. NDZ Analysis of the Proposed Method**

Load parameter space based on the load quality factor and resonant frequency ($Q_L$ versus $f_0$) is utilized to evaluate the NDZ for the proposed IDM. According to Fig.2, the following phase criteria should be met,
\[ \theta_L(f) = \theta_{PF} + \theta_{IDM} \]  

(22)

The following equation can be obtained from (13), (16), (22),

\[ f_0^2 + \frac{[\tan(\theta_{IDM}) + \tan(\theta_{PF})]f_f}{[1 - \tan(\theta_{IDM})\tan(\theta_{PF})]}f_f - f^2 = 0 \]  

(23)

where \( \tan(\theta_{PF}) \) is the constant value determined by power factor. Adjusting the frequency after islanding to the threshold \( (f_{\text{max}} \text{ and } f_{\text{min}}) \) [28], the relationship for load quality factor and resonance frequency with different power factor and positive acceleration coefficient calculated from (18) is shown in Fig.7.

The area between two curves with the same power factor and acceleration parameter (the same color) is the NDZ corresponding to the given parameters. In Fig.7 (a), the boundary marked with star separates the NDZ and non-NDZ area with the same positive acceleration coefficient \( (m=7) \) and random power factor. From the details of the NDZ curve in Fig.7 (b), it can be obtained that there will be no NDZ for load with quality factor less than 2.62 using the proposed IDM.

Another conclusion from the NDZ curves with \( m=7 \) and \( m=15 \) is that the larger the positive acceleration coefficient, the narrower the corresponding NDZ. But the perturbation and distortion of the output current during grid-connected mode will be increased meanwhile.

D. Analysis for multiple inverters and three phase system

In the case of multiple inverters using the proposed method, each inverter will introduce the initial disturbance and positive feedback. No matter the sign of initial phase shift at the same time is the same or not, the sum will not counteract each other because the nonlinear of sinusoidal. Hence, the initial phase disturbance to PCC frequency is still effective. After islanding, PCC voltage equals to the sum of each output current multiplied by load impedance. For each inverter, the angle deviation of output current is determined by PCC frequency and its own PQ reference shown in Eq. (15). So the deviation angle will drift the frequency in the same direction as the same PCC frequency. Although different IDM and FLL parameters lead to different frequency deviation speed for each inverter, the sum of the current with the same frequency deviation in direction still leads the same deviation to PCC frequency in direction. Moreover, small voltage fluctuation owing to the slight frequency differ of each output current contributes to the instability. Therefore, the proposed method is still effective for multiple inverters.

![Fig.6 Ramp response curve for PLL and FLL](image6.png)

**Fig.6** Ramp response curve for PLL and FLL

\[ f_0^2 + \frac{[\tan(\theta_{IDM}) + \tan(\theta_{PF})]f_f}{[1 - \tan(\theta_{IDM})\tan(\theta_{PF})]}f_f - f^2 = 0 \]

**Fig.7** NDZs of the proposed IDM with different parameters

(a) NDZ with different power factor and acceleration coefficient

(b) Zoom in of the NDZ

Although this method is analyzed and used for single phase inverter, it is also effective for three phase inverter using similar control strategy based on PLL in grid-connected mode.

IV. EXPERIMENT RESULTS AND ANALYSIS

The proposed IDM, as the structure and control algorithms, were implemented in MATLAB/Simulink based on Fig.1. The proposed strategy is validated in a dSPACE 1006 based real-time platform. The setup used consists of a constant power controlled single-phase inverter and a parallel RLC load. The power stage parameters and corresponding control parameters are listed in Table II.

Three scenarios with different islanding detection methods are simulated and assessed by considering the case with active/reactive power match as the worst case for islanding detection.

Scenario (S1): Passive islanding detection method.
Scenario (S2): PLL-based islanding detection method using frequency positive feedback.
Scenario (S3): FLL-based islanding detection method using frequency positive feedback.

For the parallel RLC load \( (Q_f = 2.5) \) given in Table II, the reference active/reactive power is 920W/-500Var. For all the three planned scenarios, the output active/reactive power is controlled to be the reference value in grid-connected mode in order to match the parallel RLC load. At \( t=0.2s \), the main utility is abnormal and island occurs. O/UF with the frequency limitation \( 50\pm0.5Hz \) was used as the islanding detector.

Fig. 8 shows the results, including PCC voltage, output active/reactive power, PCC frequency, the islanding and trip
signal, corresponding to scenario $S_1$ with a passive islanding detection method. It shows that the inverter is constant power controlled and the output power follows the reference value properly. But the voltage at PCC is stable after islanding as the output power matches the local load. The PCC frequency just slightly changes (within 0.02Hz) after islanding. As a result, it is not enough to trigger O/UF detector and indicate the islanding. It can be seen that it will be located in NDZ for this scenario $S_1$.

Fig. 9 shows the similar results after islanding for scenario $S_2$ with PLL-based IDM using a frequency positive feedback method. As the frequency is a positive feedback, the frequency at PCC is drifted away from nominal value and reaches the threshold rapidly. From the details of frequency and signal waveforms, islanding can be detected at $t=0.272s$. As the frequency changes, PCC voltage marked with 1$^\circ$ has also changed a little due to the magnitude response for RLC is frequency dependence. Meanwhile, the output active/reactive power also changes along with the frequency deviation.

Fig. 10 shows the third scenario $S_3$ with FLL-based IDM using frequency positive feedback proposed in this paper. As it can be seen from the results, PCC frequency also changes similarly to the PLL-based method, but the rate of change of frequency is faster. At $t=0.248s$, islanding can be detected. The output power and the PCC voltage change a lot both than the passive method and PLL-based method as the frequency changes more severely. From Fig. 10, the frequency increased after islanding while it decreased in Fig. 9. It is determined by the initial frequency error at the beginning whether the frequency increases or decreases.

For parallel RLC load with different quality factor, the detection trigger signal using the proposed detection method is illustrated in Fig. 11. Corresponding to $Q_f=1.5$, $Q_f=2.5$, $Q_f=3$, the detection time are $t=0.241s$, $t=0.248s$, $t=0.257s$ respectively. It shows that the larger the quality factor $Q$, the longer it will cost for islanding detection.

Additionally, nonislanding event was considered to test the accuracy of the proposed method. Fig. 12(a), (b) shows the PCC frequency when switching on $(t_1)$/cutting off $(t_2)$ resistive load $R=10\Omega$ and capacitive load $C=470\mu F$, respectively. It can
be seen PCC frequency will change because of the sudden load. But it doesn’t exceed the allowance limitation. One reason is that orthogonal and LPF unit used in Frequency locked unit filter the change of frequency. However, for large load in weak grid, false detection is possible as mentioned in [14]. Some confirm process such as time-delay has to be applied to increase the accuracy at the expense of detection time.

Fig. 13 shows the results comparing with AFD and SMS islanding detection method including the change of PCC frequency and trigger signal. The parameters used for AFD and SMS are listed in Table II. It can be seen that the proposed method based on FLL could detect islanding at t=0.252s while the detection time is t=0.292s for AFD. But for SMS method, it costs a much longer time to detect islanding at t=0.92. Therefore, AFD is more effective than SMS for constant power.
controlled inverter because the power regulation could counteract the angle from SMS. From the results, the positive feedback method based on FLL is effective and fast.

VI. REFERENCES


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